

## MUTHAYAMMAL ENGINEERING COLLEGE (An Autonomous Institution)



(Approved by AICTE, New Delhi, Accredited by NAAC & Affiliated to Anna University) Rasipuram - 637 408, Namakkal Dist., Tamil Nadu

## MUST KNOW CONCEPTS

B.E	-	CY
D.L	-	UI

MKC 2021-22

Course Code & Course Name : Year/Sem/Sec : 19CYC01 & DATA STRUCTURES II/III/-

	Subject	19CYC01	& DATA STRUCTURES	
S.No	Term	Notation (Symbol)	Concept/Definition/Meaning/Units/Equa tion/Expression	Units
		Unit-I : I	ntroduction and List	
1	Data		Data are simply values or sets of values	
2	Information		Processed Data	
3	Datum	$\mathbb{R}$	Singular form of Data	
4	Data	$\langle \rangle$	Plural form of Data	
5	Data structures	DS	Way of organizing data in a computer called DS	
6	Classification of DS	ESIGNI	Static data structures	
7	Static data structures	Est	Fixed size data structure. EX: Array, pointers, structures	
8	Dynamic data structures		Variable size data structure. Ex: linked lists, stacks, queues, trees	
9	Types of data structure		Linear data structure. Non-linear data structure	
10	Linear data structures		Data are arranged in sequential order	
11	Non-linear data structure		Data structures that don't have a linear relationship between its adjacent elements but have a hierarchical relationship	
12	Abstract Data Type	ADT	Set of operations for which the implementation of the data structure is not specified	

13	Primitive data types		Each variable has a specific data typeit tells - size, range called primitive data	
14	4 basic primitive data types		types Integer , floating-point ,character and Pointer	
15	Pointer		Special type of variables that are used to store address of another variable	
16	Searching		Finding an element position in a given array called searching Type: linear search&binary search	
17	Efficiency of DS		Efficient Algorithm that takes least possible running time and consumes least memory space	
18	Asymptotic analysis		Measures the performance of the algorithm with the change in the order of the input size	
19	Case complexity	~	Worst case complexity, best case complexity and average case complexity	
20	Asymptotic complexity		Approximate measure of time complexity is called Asymptotic complexity	
21	Asymptotic notations	Z	Is measured with the help of asymptotic notations	
22	Time complexity	$\mathbf{k}$	Quantifies the amount of time taken by an algorithm to run as a function	
23	Singly linked list	$\langle \rangle$	Linked list elements are not stored at contiguous location	
24	Doubly linked list	ESTGNII	Contains an extra pointer, typically called previous pointer, together with next pointer and data	
25	Circular linked list	Este	Linked list where all nodes are connected to form a circle. There is no null at the end	
		Unit-II :	Stacks and Queue	
26	Array		Fixed-size DS	
27	Recursion function		Recursion is an approach in which a function calls itself with an argument	
28	Stack		Stack is an ordered collection of elements in which insertions and deletions are restricted to one end called top	
29	Тор		Insertions and deletions of stack take place in top pointer	
30	Push operation		Inserting an element in stack	

31	Pop operation		Removing an element from stack
32	Peek operation		Viewing top element of stack
33	Empty stack		If top=-1 represent empty stack
34	Full		If top=maxsize-1 represent full stack
35	Queue		Queue is an ordered collection of elements in which insertions and deletions take place in 2 ends
36	Rear end		The end from which elements are added referred to rear end
37	Front end		End from which deletions are made is referred to as the front end
38	Priority queue		Priority queue is a collection of elements, each containing a key referred as the priority for that element
39	Enqueue		Inserting an element in queue
40	Dequeue	X	Removing an element from queue
41	Front	Ň	Ptr points to 1,st element of queue
42	Rear	Ň	Ptr points to last element of queue
43	Types of queues	$\leq$	<ul> <li>Linear queues</li> <li>Circular queues</li> <li>Priority queue</li> </ul>
44	Applications of stacks	ESIGNII Esto	<ul> <li>Reversing a string</li> <li>Balanced parenthesis</li> <li>Evaluation of arithmetic expressions</li> </ul>
45	Underflow		Checking queue is empty (contain no elements in array) called underflow
46	Overflow		Checking queue is full (contain all elements in array) called overflow
47	LIFO		Last in first out (principle followed by stack)
48	FIFO		First in first out( principle followed by stack queue)
49	Max heap		The key at root must be maximum among all keys present in binary heap
50	Min heap		The key at root must be minimum among all keys present in binary heap

	Un	it-III : Tree	e and Binary Search Tree	
51	Tree		A tree is a non-linear data structure, which represents hierarchical relationship between individual data items	
52	Height of a Tree		Length of the longest path from the root to a leaf	
53	Path in a tree		Sequence of distinct nodes in which successive nodes are connected by edges	
54	Leaf node		A node that has no children	
55	Binary tree nodes		A binary tree is a tree in which every non- leaf node has at most two children	
56	Full binary tree		A full binary tree is a tree in which all leaves are on the same level	
57	Complete binary tree	$\leq$	Is a binary tree in which every level, except possibly the last, is completely filled	
58	Right-skewed binary tree		Binary tree is a tree, which has only right child nodes	
59	Representing a binary tree		Linear representation using arrays. Linked representation using pointers.	
60	Tree traversal		Moving through all the nodes in the binary tree	
61	Types of tree traversal	$\aleph$	<ul> <li>Preorder traversal</li> <li>Inorder traversal</li> <li>Postorder traversal</li> </ul>	
62	Infix notation	$\langle \rangle$	X + Y ,Operators are written in-between their operands	
63	Postfix notation		X Y +, Operators are written after their operands.	
64	Prefix notation	ESIGNI	+ X Y, Operators are written before their operands	
65	Other name for Postfix notation	Est	Reverse Polish notation	
66	Other name for Prefix notation		also known as "Polish notation	
67	Post fix expression for (a+b*c)/d		abc*+d/	
68	Pre fix expression for $(a+b^*c)/d$		/+a*bcd	
69	Head		First node of list	
70	Fields of Single linked list node		Data and next	
71	Next		Address of next node of list	

72	Fields of Double linked list node	Data, next and previous	
73	previous	Address of previous node of list	
74	Isempty of list ()	If head== NULL represent empty	list
75	Traversing	Operation perform viewing of all in the list	element
		Unit-IV : Graphs	
76	Graph	A graph is a non-linear data struc represents less relationship betwe adjacent elements. There is no his relationship between the adjacent in case of graphs	en its erarchical
77	Undirected graph	If an edge between any two nodes graph is not directionally oriented is called as undirected graph	
78	Directed graph	If an edge between any two node graph is directionally oriented, a called as directed graph; it is also as a digraph	graph is
79	Cycle	A cycle is a path containing at lea vertices such that the starting and ending vertices are the same.	
80	Weighted graph	A graph is said to be weighted gr every edge in the graph is assigned weight or value	-
81	Minimum spanning trees	A minimum spanning tree is one spanning trees of the graph which smallest sum of weights amongst spanning trees.	has the
82	DFS	EST preorder traversal of a tree. It is c searching for the unvisited nodes forward direction based on the re- process	ontinuous in the
83	Complete Graph	In a graph if there exists the path vertex to any other vertex, then th called as Complete Graph	
84	BFS	BFS performs simultaneous explo starting from a common point and spreading out independently	
85	Self loop	In graph theory, a loop is an edge connects a vertex to itself	that
86	Representation of Graph	Adjacency List     Adjacency Matrix	
87	Data Structure used in BFS	Queue	

88	Data Structure used in DFS	Stack	
89	Vertex	Each node of the graph is termed as vertex	
90	Edge	Edge represents a path between two vertices	
91	Adjacency	Two nodes or vertices are adjacent if they are connected to each other	
92	Path	Path represents the series of edges between two vertices	
93	Basic operations on the graph	<ul><li>Add vertex</li><li>Add Edge</li><li>Display Vertex</li></ul>	
94	Out Degree	Number of outgoing vertex	
95	In Degree	Number of incoming vertex	
96	Degree of a graph	Number of incident edges	
97	Cycle	Cycle is a path which starts and ends with a same vertex	
98	Connected graph	Has all pairs of vertices connected by at least one path	
99	Directed Path	It is a path of only directed edges	
100	Directed Cycle	It is a cycle of only directed edges	
	Un	t-V : Hashing, SearchingAndSorting	
101	Hashing	Searching technique in O(1) time complexity	
102	Hash function	Hash(key Value)=(key value) mod (Table size)	
103	Collision in hashing	When an element is inserted, it hashes to the same value as an already inserted element, and then it produces collision.	
104	Separate chaining	Separate chaining is a collision resolution technique to keep the list of all elements that hash to the same value	
105	Open addressing	Open addressing is a collision resolving strategy in which, if collision occurs alternative cells are tried until an empty cell is found	
106	Types of collision resolution strategies in open addressing	<ul> <li>Linear probing</li> <li>Quadratic probing</li> <li>Double hashing</li> </ul>	
107	Probing	Process of getting next available hash table array cell	

108	Linear probing		F(i)=i. Hi(x)=(hash(x)+f(i))modtablesize . I=1,2,3,4	
109	Quadratic probing		F(i)=i 2. Hi(x)=(hash(x)+f(i))modtablesize . I=1,2,3,4	
110	Sorting		A sorting algorithm is used to rearrange a given array or list elements in ascending or descending order.	
111	Types of internal sorting		<ul> <li>Bubble Sort</li> <li>Insertion Sort</li> <li>Selection Sort</li> <li>Quick Sort</li> <li>Merge Sort</li> <li>Heap Sort</li> </ul>	
112	Classification of sorting		Internal sorting and external sorting	
113	Internal sorting		internal sorting the data that has to be sorted will be in the main memory	
114	External sorting		External sorting it will on disks, outside main memory	
115	Types of external sorting		Two-way merge sort ,radix sort	
116	Time complexity of bubble sort	~	$\Theta(\mathbf{n})$	
117	Divide-and-Conquer	$\gtrsim$	Divide: Break the given problem into sub problems of same type. Conquer: Recursively solve these sub problems Combine: Appropriately combine the answers	
118	Not a stable sorting algorithm	$\leq$	Bubble sort	
119	Not a stable sorting algorithm	STGNI	Merge sort: FUTURE	
120	O(nlogn)	Este	Running merge sort on an array of size n which is already sorted is	
121	O(n log n) )		The time complexity of a quick sort algorithm	
122	Time complexity of insertion sort		Θ (n)	
123	Mod function %		Returns remainder value	
124	7%8		7	
125	10%8		2	
	]	PLACEM	IENT QUESTIONS	
100	Three times the first		Let the three integers be $x$ , $x + 2$ and $x + 4$ .	
126	of three consecutive		Then, $3x = 2(x + 4) + 3 \iff x = 11$ .	

	odd integers is 3 more than twice the third. The third integer is:	$\therefore \text{ Third integer} = x + 4 = 15.$	
127	Look at this series: 7, 10, 8, 11, 9, 12,	This is a simple alternating addition and subtraction series. In the first pattern, 3 is added; in the second, 2 is subtracted.	
128	Look at this series: 22, 21, 23, 22, 24, 23, 	In this simple alternating subtraction and addition series; 1 is subtracted, then 2 is added, and so on.	
129	Look at this series: 53, 53, 40, 40, 27, 27, 	In this series, each number is repeated, then 13 is subtracted to arrive at the next number.	
130	Look at this series: 1.5, 2.3, 3.1, 3.9,	In this simple addition series, each number increases by 0.8.	
131	Three times the first of three consecutive odd integers is 3 more than twice the third. The third integer is:	Let the three integers be $x$ , $x + 2$ and $x + 4$ . Then, $3x = 2(x + 4) + 3 \Leftrightarrow x = 11$ . $\therefore$ Third integer $= x + 4 = 15$ .	
132	Look at this series: 7, 10, 8, 11, 9, 12,	This is a simple alternating addition and subtraction series. In the first pattern, 3 isadded; in the second, 2 is subtracted.	
133	Look at this series: 22, 21, 23, 22, 24, 23, 	EST In this simple alternating subtraction and addition series; 1 is subtracted, then 2 is added, and so on.	
134	$(112 \text{ x } 5^4) = ?$	$(112 \text{ x } 5^4) = 112 \text{ x}(10)4=112 \text{ x}$ $10^4=1120000=7000022^416$	
135	It was Sunday on Jan 1, 2006. The day of the week Jan 1, 2010 is	On $31^{st}$ December, 2005 it was Saturday.Number of odd days from the year 2006 to the year 2009 = $(1 + 1 + 2 + 1) = 5$ days. $\therefore$ On $31^{st}$ December 2009, it was Thursday. Thus, on $1^{st}$ Jan, 2010 it is Friday.	

136	Today is Monday. After 61 days, it will be:	<ul> <li>Each day of the week is repeated after 7 days.</li> <li>So, after 63 days, it will be Monday.</li> <li>∴ After 61 days, it will be Saturday.</li> </ul>
137	If 6 <sup>th</sup> March, 2005 is Monday,The day of the week on 6 <sup>th</sup> March, 2004 is	<ul> <li>The year 2004 is a leap year. So, it has 2 odd days.</li> <li>But, Feb 2004 not included because we are calculating from March 2004 to March 2005. So it has 1 odd day only.</li> <li>∴ The day on 6<sup>th</sup> March, 2005 will be 1 day beyond the day on 6<sup>th</sup> March, 2004. Given that, 6<sup>th</sup> March, 2005 is Monday.</li> <li>∴ 6<sup>th</sup> March, 2004 is Sunday (1 day before to 6<sup>th</sup> March, 2005).</li> </ul>
138	The days inx weeks x days?	x weeks x days = $(7x + x)$ days = $8x$ days.
139	On 8 <sup>th</sup> Feb, 2005 it was Tuesday. The day of the week on 8 <sup>th</sup> Feb, 2004 is	<ul> <li>The year 2004 is a leap year. It has 2 odd days.</li> <li>∴ The day on 8<sup>th</sup> Feb, 2004 is 2 days before the day on 8<sup>th</sup> Feb, 2005.</li> <li>Hence, this day is Sunday.</li> </ul>
140	The greatest number that will divide 43, 91 and 183 so as to leave the same remainder in each case.	
141	The H.C.F. of two numbers is 23 and the other two factors of their L.C.M. are 13 and 14. The larger of the two numbers is:	Clearly, the numbers are $(23 \times 13)$ and $(23 \times 14)$ . $\therefore$ Larger number = $(23 \times 14) = 322$
142	$(112 \text{ x } 5^4) = ?$	$(112 \text{ x } 5^4) = 112 \text{ x}(10)4=112 \text{ x}$ $10^4=1120000=7000022^416$
143	It was Sunday on Jan 1, 2006.The day of the week Jan 1, 2010 is	On $31^{st}$ December, 2005 it was Saturday. Number of odd days from the year 2006 to the year 2009 = $(1 + 1 + 2 + 1) = 5$ days.

		<ul> <li>∴ On 31<sup>st</sup> December 2009, it was Thursday.</li> <li>Thus, on 1<sup>st</sup> Jan, 2010 it is Friday.</li> </ul>
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148	Find the greatest number that will divide 43, 91 and 183 so as to leave the same remainder in each case.	Required number = H.C.F. of (91 - 43), (183 - 91) and (183 - 43) = H.C.F. of 48, 92 and 140 = 4.
149	The H.C.F. of two numbers is 23 and the other two factors of their L.C.M. are 13 and 14. The larger of the two numbers is:	Clearly, the numbers are $(23 \times 13)$ and $(23 \times 14)$ . $\therefore$ Larger number = $(23 \times 14) = 322$

		Let the speeds of the two trains be $x$ m/sec
	Two trains running in	and y m/sec respectively.
	opposite directions	Then, length of the first train = $27x$ meters,
	cross a man standing	and length of the second train =
	on the platform in 27	17 <i>y</i> meters.
	seconds and 17	27x +
150	seconds respectively	$\therefore$ 17y =
	and they cross each	$\frac{y}{x+y}$ 23
	other in 23 seconds.	$\Rightarrow 27x + 17y = 23x + 23y$
	The ratio of their	$\Rightarrow 4x = 6y$
	speeds is:	x 3
		$\Rightarrow \frac{1}{2} = \frac{1}{2}$ .
		y 2



HoD